

About implementation of $e^+e^- \rightarrow f\bar{f}$ processes into the framework of SANC system

L. V. Kalinovskaya^a *

^a Laboratory of Nuclear Physics,
Joint Institute for Nuclear Research, Dubna, Russia

In this report it is described how an automatic calculation of the differential cross-sections of the processes $e^+e^- \rightarrow f\bar{f}$ (with an arbitrary final-state massive fermion) at one-loop level is realized within the SANC system [1]. The results of numerical comparison with the other calculations are presented.

1. INTRODUCTION

The virtual library of EW and QED one-loop corrections for $e^+e^- \rightarrow f\bar{f}$ has become reality. In other words, a library of analytic results for NC and CC and a database of numerical results for NC processes is accessible online at <http://brg.jinr.ru> and it is available via the web for a calculation with your own input parameter set. Possible nearest future extensions SANC include calculations of $2f \rightarrow 2f\gamma$ processes.

2. FIRST RUN FOR THE PROCESSES

Automatic calculation by SANC of any $e^+e^- \rightarrow f\bar{f}$ process was done in two gauges — R_ξ and unitary gauge for internal cross checking, for all $f\bar{f}$ channels, and in two limits: $m_f \rightarrow 0$ and $m_{f'} \rightarrow 0$ (f' is the isospin partner of f), [2].

We work in OMS renormalization scheme, see the book [3] for systematic presentation.

2.1. Born-like structure of the one-loop amplitude

The amplitude is described by six scalar form factors (SFF) LL, QL, LQ, QQ, LD and QD :

$$A_\gamma = i \frac{4\pi Q_e Q_f}{s} \alpha(s) \gamma_\mu \otimes \gamma_\mu,$$

$$A_Z = i \frac{g^2}{16\pi^2} e^2 \frac{1}{4s_w^2 c_w^2} \frac{1}{s - M_Z^2 + i \frac{\Gamma_Z}{M_Z} s}$$

$$\begin{aligned} & \times \left\{ \gamma_\mu (1 + \gamma_5) \otimes \gamma_\mu (1 + \gamma_5) I_e^{(3)} I_f^{(3)} F_{LL}(s, t) \right. \\ & + \delta_e I_f^{(3)} \gamma_\mu \otimes \gamma_\mu (1 + \gamma_5) F_{QL}(s, t) \\ & + \delta_f I_e^{(3)} \gamma_\mu (1 + \gamma_5) \otimes \gamma_\mu F_{LQ}(s, t) \\ & + \delta_e \delta_f \gamma_\mu \otimes \gamma_\mu F_{QQ}(s, t) \\ & + \gamma_\mu (1 + \gamma_5) \otimes (-im_f D_\mu) I_e^{(3)} I_f^{(3)} F_{LD}(s, t) \\ & \left. + \delta_e I_f^{(3)} \gamma_\mu \otimes (-im_f D_\mu) F_{QD}(s, t) \right\}, \end{aligned}$$

$$D_\mu = (p_{\bar{f}} - p_f)_\mu, \quad \delta_f = v_f - a_f = -2Q_f s_w^2.$$

The chain of the calculation leading to the SFF is shown in Fig.1.

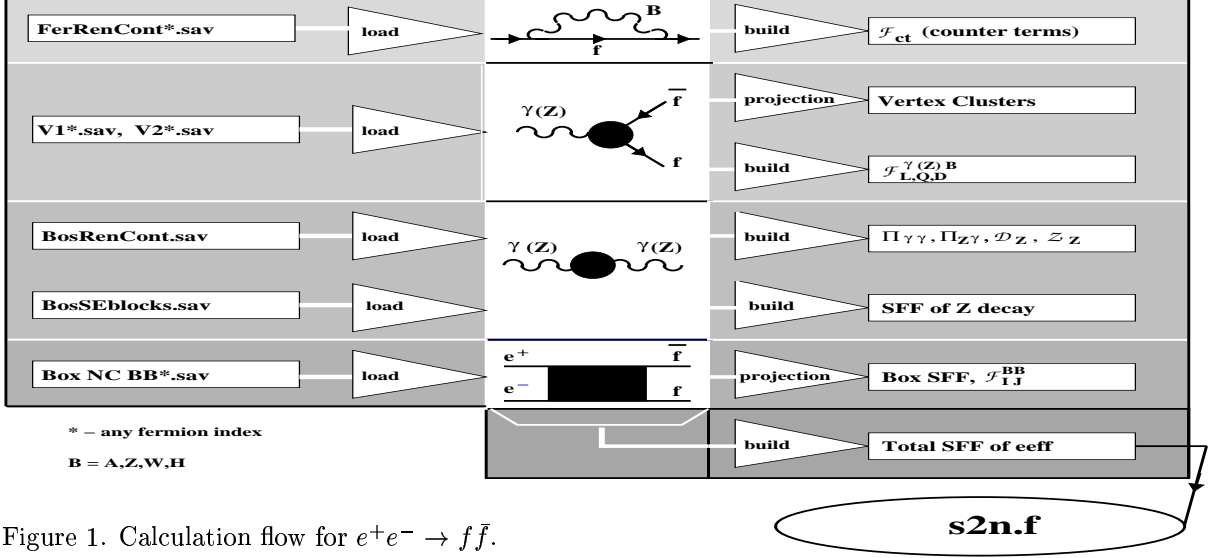
2.2. Numerical results

By now we have numerical results only for $e^+e^- \rightarrow f\bar{f}$ NC processes.

- In the internal comparison with a code generated by `s2n.f` an agreement within 12–13 digits is reached for the complete one-loop differential cross-sections $d\sigma^{(1)}/d\cos\vartheta$ for a standard input parameter set [2].
- In a comparison for $d\sigma^{(1)}/d\cos\vartheta$ with the other codes we got the agreement: 11 digits with FeynArts [4] (without soft photons), 8–9 digits with `topfit` [5] (with soft photons, $E_\gamma^{\max} = \sqrt{s}/10$).
- In a comparison of SANC-ZFITTER for the SFF the agreement is within 8–9 digits. For the $d\sigma^{(1)}/d\cos\vartheta$ the agreement is within 7–8 digits. The results of the calculation of the σ_{tot} and σ_{FB} for the different channels are shown in the Table 1.

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3. ILLUSTRATIONS AND TABLES

Figure 1. Calculation flow for $e^+e^- \rightarrow f\bar{f}$.Table 1
Comparison of ZFITTER (first row) with SANC (second row).

channel	100 GeV		300 GeV	
	σ_{tot}	σ_{FB}	σ_{tot}	σ_{FB}
$\nu\bar{\nu}, m_\nu = 0$	84.81710	9.509864	0.320985	0.021592
$e^+e^-, m_e = 0$	52.61662	30.78899	1.276008	0.648414
$\mu^+\mu^-, m_\mu = 0.106 \text{ GeV}$	52.61634	30.78885	1.276008	0.648414
$\tau^+\tau^-, m_\tau = 1.77705 \text{ GeV}$	52.53632	30.75010	1.275972	0.648324
$u\bar{u}, m_u = 0.1 \text{ GeV}$	160.8980	70.98406	2.031754	1.269556
$d\bar{d}, m_d = 0.1 \text{ GeV}$	193.7658	50.03208	1.149479	0.725581
$b\bar{b}, m_b = 4.7 \text{ GeV}$	189.6321	49.39098	1.148541	0.719805
	189.3855	49.32791	1.148565	0.719802

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